

3. The following code is for the Partition method used by the QUICKSORT algorithm:

```
procedure PARTITION( $A, p, r$ )  
   $x \leftarrow A[r]$ ;  $i \leftarrow p - 1$   
  for  $j \leftarrow p$  to  $r - 1$   
    do if  $A[j] \leq x$   
      then  $i \leftarrow i + 1$   
        exchange  $A[i] \leftrightarrow A[j]$   
  exchange  $A[i + 1] \leftrightarrow A[r]$   
  return  $i + 1$ 
```

Suppose that PARTITION($A, 1, 6$) is called over the array $A = [8, 4, 2, 7, 1, 5]$ (assuming the array indexes from 1). What is the result?

- (a) $A = [4, 2, 1, 5, 8, 7]$ and 4 is returned.
 - (b) $A = [1, 2, 4, 5, 7, 8]$ and 5 is returned.
 - (c) $A = [4, 2, 1, 5, 8, 7]$ and 5 is returned.
 - (d) $A = [4, 2, 1, 5, 7, 8]$ and 4 is returned.
4. A **deque** (double-ended queue) is implemented using an array called **items** and left and right indices called **left** (an index to the leftmost item) and **right** (an index to the rightmost item) respectively. The deque is cyclic (or “wraps around”) so that all space in the array can be used. The method **pushLeft** adds an item to the left end of the deque and is implemented as follows:

```
public void pushLeft(char c) throws Overflow {  
  if (!isFull()) {  
  
    << missing code >>  
  
  }  
  else throw new Overflow(“Pushing to full deque”.)  
}
```

Which of the following is a correct implementation of the missing lines:

- (a) `left = (left-1)%items.length;`
`items[left] = c;`
- (b) `left = (left+1)%(items.length-1);`
`items[left] = c;`
- (c) `left = left-1;`
`if (left==right+1) left = (left-1)%items.length;`
`items[left] = c;`
- (d) `left = left-1;`
`if (left == -1) left = items.length-1;`
`items[left] = c;`

Ans 3

MST

$$A = 8 \ 4 \ 2 \ 7 \ 1 \ 5$$

$$x = \text{a} \ A[6] = 5$$

$$i = 0$$

For $j = 1$ to 5

$$j = 1$$

$A[j] = 8$; So 'it will fail'

No change to A, i

$$j = 2$$

$$A[j] = 2$$

it \checkmark ; $i = 1$

$1 \leftrightarrow 2$

$$A = 4 \ 8 \ 2 \ 7 \ 1 \ 5$$

$$j = 3$$

$$A[j] = 2$$

it \checkmark

$$i = 2$$

$$A = 4 \ 2 \ 8 \ 7 \ 1 \ 5$$

$$j = 4$$

$$A[j] = 7$$

it fails

$$j = 5$$

$$A[j] = 1$$

it \checkmark

$$i = 3$$

$$A = 4 \ 2 \ 1 \ 7 \ 8 \ 5$$

(a) is correct

swap $A[4]$ and $A[5]$

$$A = [4, 2, 1, 5, 8, 7]; \text{Ret}(i+1) = 4$$