

# Artificial Intelligence

## Topic 9

### **Planning**

- ◇ Search vs. planning
- ◇ Planning Languages and STRIPS
- ◇ State Space vs. Plan Space
- ◇ Partial-order Planning

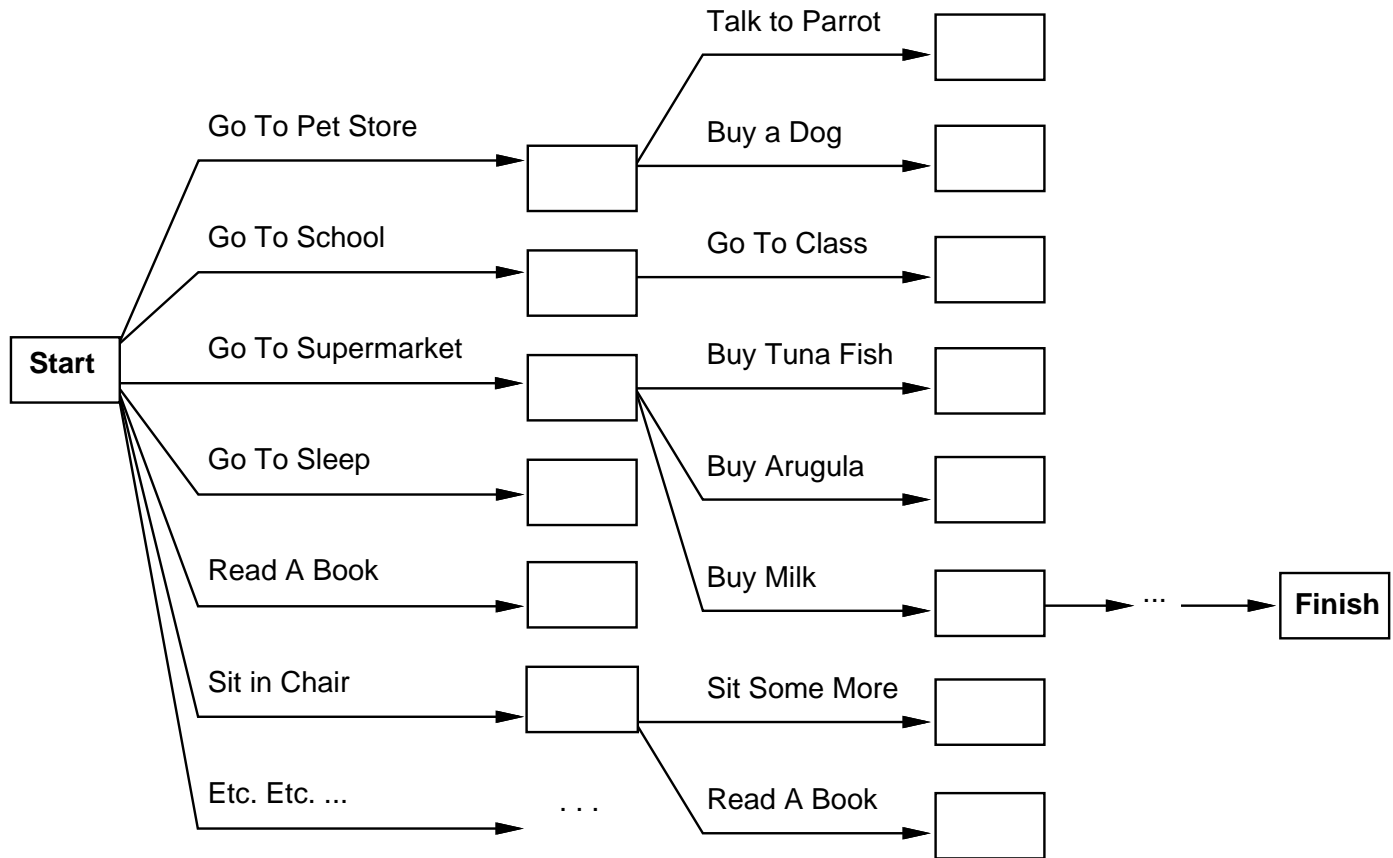
Reading: Russell & Norvig, Chapter 11

# 1. Search vs. Planning

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Consider the task *get milk, bananas, and a cordless drill*

Standard search algorithms seem to fail miserably:



After-the-fact heuristic/goal test inadequate

# 1. Search vs. Planning

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Planning systems do the following:

1. open up action and goal representation to allow selection
2. divide-and-conquer by subgoaling
3. relax requirement for sequential construction of solutions

	<b>Search</b>	<b>Planning</b>
<b>States</b>	internal state of Java objects	descriptive (logical) sentences
<b>Actions</b>	encoded in Java methods	preconditions/outcomes
<b>Goal</b>	encoded in Java methods	descriptive sentence
<b>Plan</b>	sequence from $s_0$	constraints on actions
	⇒ <i>implicit</i>	⇒ <i>explicit</i>
	⇒ <i>hard to decompose</i>	⇒ <i>easier to decompose</i>

## 2. Planning Languages and STRIPS

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Require *declarative language* — *declarations* or *statements* about world.

Range of logics have been proposed — best descriptive languages we have, but can be difficult to use in practice.

*more descriptive power* → *more difficult to compute (reason) automatically*

STRIPS (STanford Research Institute Problem Solver) first to suggest suitable compromise

- restricted form of logic
- restricted language ⇒ efficient algorithm

Basis of many subsequent languages and planners.

### States

$At(Home), \neg Have(Milk), \neg Have(Bananas), \neg Have(Drill)$

(conjunctions of function-free ground literals)

## 2. Planning Languages and STRIPS

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### Goals

*At(Home), Have(Milk), Have(Bananas), Have(Drill)*

Can have variables

*At(x), Sells(x,Milk)*

(conjunctions of function-free literals)

### Actions

ACTION (NAME): *Buy(x)*

PRECONDITION: *At(p), Sells(p, x)*

EFFECT: *Have(x)*

(Precondition: conjunction of positive literals  
Effect: conjunction of literals)

*At(p) Sells(p,x)*



*Have(x)*

### 3. State Space vs. Plan Space

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Standard search: node = concrete world state

Planning search: node = *partial plan*

Definition: open condition is a precondition of a step not yet fulfilled

Operators on partial plans, eg:

- add a step to fulfill an open condition
- order one step wrt another
- instantiate an unbound variable

Gradually move from incomplete/vague plans to complete, correct plans

## 4. Partial-order planning

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### Example

Goal: *RightShoeOn, LeftShoeOn*

Operators:

$Op(\text{Action: } RightShoe, \text{Precond: } RightSockOn, \text{Effect: } RightShoeOn)$

$Op(\text{Action: } RightSock, \text{Effect: } RightSockOn)$

$Op(\text{Action: } LeftShoe, \text{Precond: } LeftSockOn, \text{Effect: } LeftShoeOn)$

$Op(\text{Action: } LeftShoe, \text{Effect: } LeftShoeOn)$

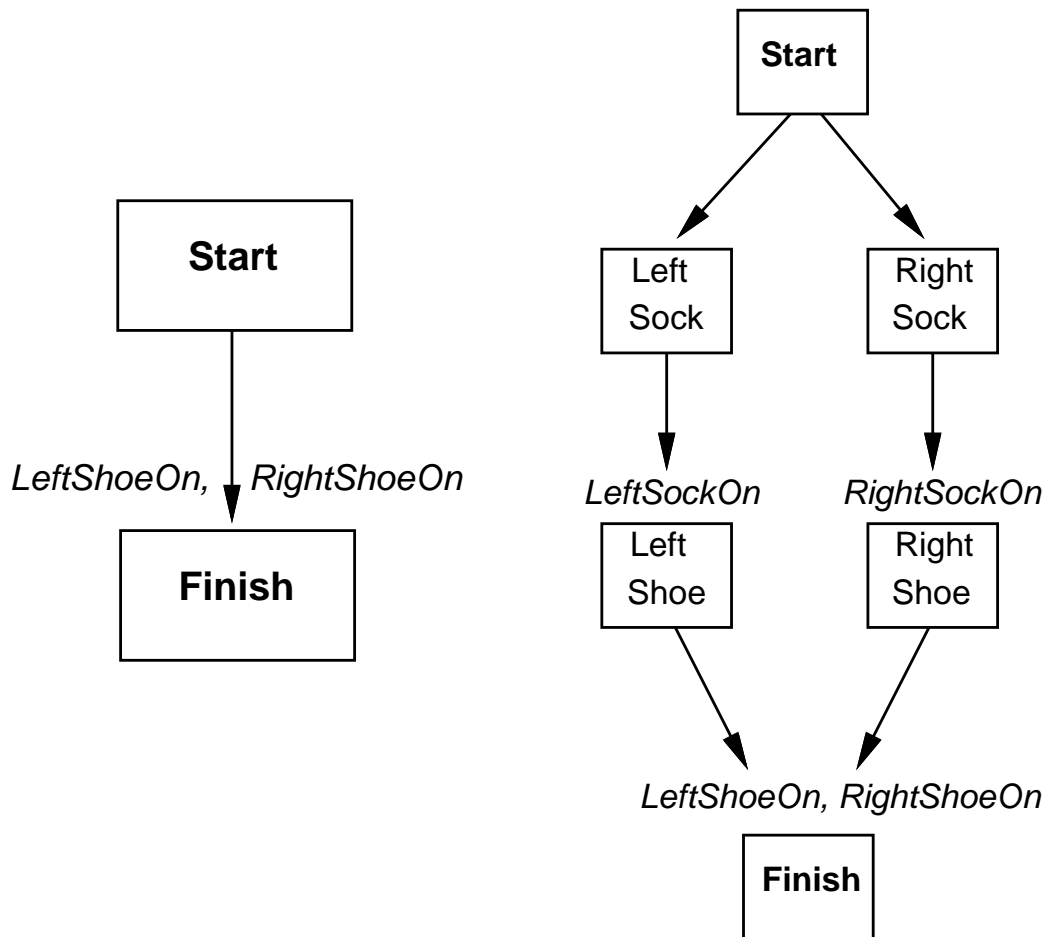
Consider partial plans:

1. *LeftShoe, RightShoe* — ordering unimportant
2. *RightSock, RightShoe* — ordering important
3. *RightSock, LeftShoe, RightShoe* — ordering between *some* actions important

*partial order planner*  $\Rightarrow$  planner that can represent steps in which some are ordered (in sequence) and others not (in “parallel”)

## 4. Partial-order planning

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*least commitment planner* — partial order planner that *delays commitment to order between steps for as long as possible*

⇒ less backtracking

A plan is complete iff every precondition is achieved

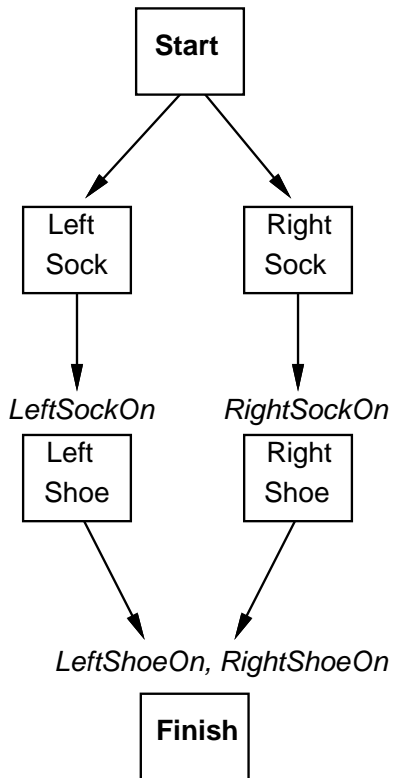
A precondition is achieved iff it is the effect of an earlier step and no possibly intervening step undoes it



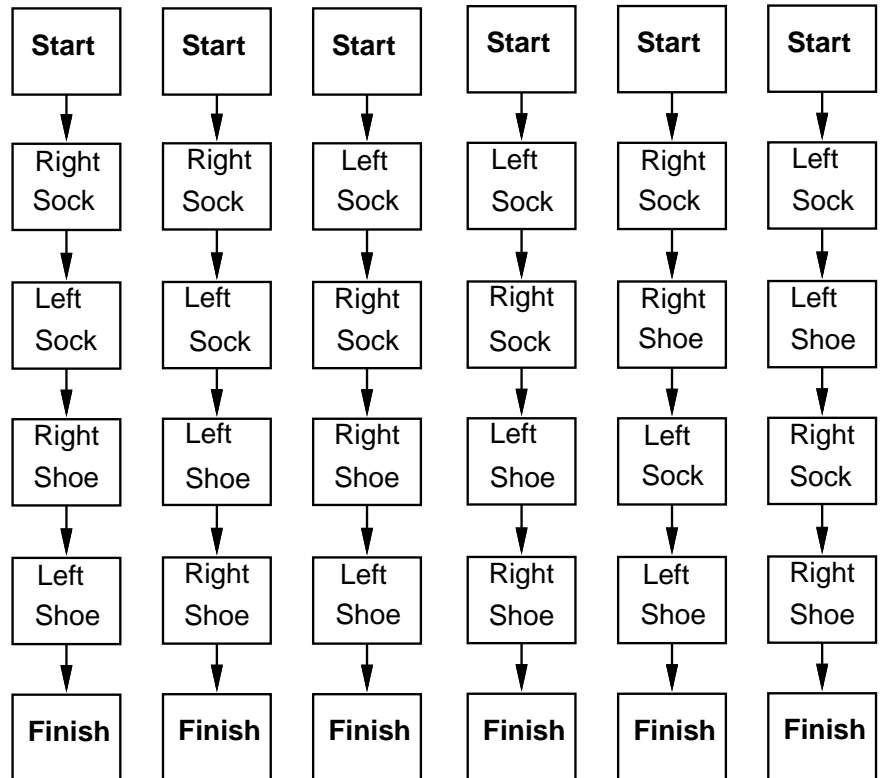
# 4. Partial-order planning

*linearisation* — obtaining a totally ordered plan from a partially ordered plan by imposing ordering constraints

Partial Order Plan:



Total Order Plans:



## 4. Partial-order planning

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In addition to orderings we must record

- variable bindings: eg.  $x = LocalStore$
- causal links:  $S_i \xrightarrow{c} S_j$  ( $S_i$  achieves precondition  $c$  for  $S_j$ )

Thus our initial plan might be:

*Plan*(STEPS: {  $S_1: Op(\text{Action: } Start),$   
                   $S_2: Op(\text{Action: } Finish,$   
                                  Precond: *RightShoeOn, LeftShoeOn*) },  
ORDERINGS: {  $S_1 \prec S_2$  },  
BINDINGS: {},  
LINKS: {})

Algorithm  $\dots \rightsquigarrow$

## 4.1 POP algorithm sketch

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**function** POP(*initial, goal, operators*) **returns** *plan*

*plan*  $\leftarrow$  MAKE-MINIMAL-PLAN(*initial, goal*)

**loop do**

**if** SOLUTION?(*plan*) **then return** *plan*

*S<sub>need</sub>, c*  $\leftarrow$  SELECT-SUBGOAL(*plan*)

    CHOOSE-OPERATOR(*plan, operators, S<sub>need</sub>, c*)

    RESOLVE-THREATS(*plan*)

**end**

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**function** SELECT-SUBGOAL(*plan*) **returns** *S<sub>need</sub>, c*

    pick a plan step *S<sub>need</sub>* from STEPS(*plan*)

        with a precondition *c* that has not been achieved

**return** *S<sub>need</sub>, c*

continued...

## 4.1 POP algorithm sketch

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**procedure** CHOOSE-OPERATOR( $plan, operators, S_{need}, c$ )

**choose** a step  $S_{add}$  from  $operators$  or  $STEPS(plan)$  that has  $c$  as an effect

**if** there is no such step **then fail**

add the causal link  $S_{add} \xrightarrow{c} S_{need}$  to  $LINKS(plan)$

add the ordering constraint  $S_{add} \prec S_{need}$  to  $ORDERINGS(plan)$

**if**  $S_{add}$  is a newly added step from  $operators$  **then**

add  $S_{add}$  to  $STEPS(plan)$

add  $Start \prec S_{add} \prec Finish$  to  $ORDERINGS(plan)$

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**procedure** RESOLVE-THREATS( $plan$ )

**for each**  $S_{threat}$  that threatens a link  $S_i \xrightarrow{c} S_j$  in  $LINKS(plan)$  **do**

**choose** either

*Demotion:* Add  $S_{threat} \prec S_i$  to  $ORDERINGS(plan)$

*Promotion:* Add  $S_j \prec S_{threat}$  to  $ORDERINGS(plan)$

**if not** CONSISTENT( $plan$ ) **then fail**

**end**

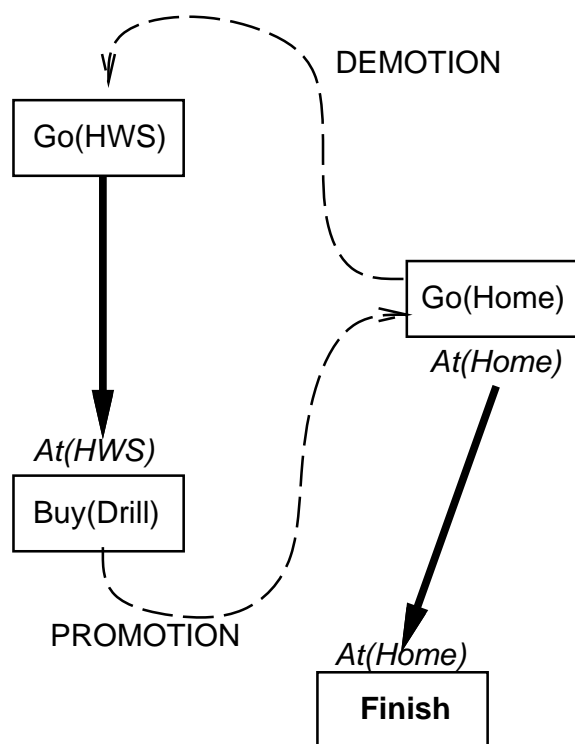
POP is sound, complete, and systematic (no repetition)

Extensions for more expressive languages (eg disjunction, etc)

## 4.2 Clobbering and promotion/demotion

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A *clobberer* is a potentially intervening step that destroys the condition achieved by a causal link. E.g., *Go(Home)* clobbers *At(HWS)*:

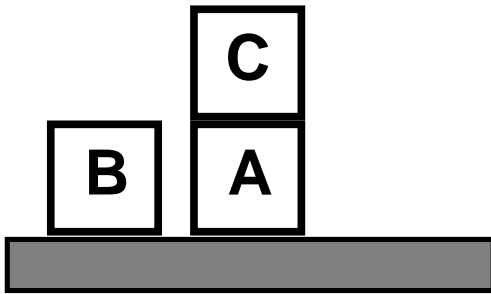


Demotion: put before *Go(HWS)*

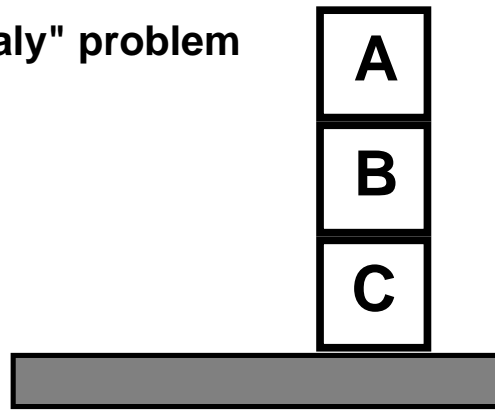
Promotion: put after *Buy(Drill)*

## 4.3 Example: Blocks world

"Sussman anomaly" problem



Start State



Goal State

$Clear(x) \ On(x,z) \ Clear(y)$

PutOn(x,y)

$\sim On(x,z) \ \sim Clear(y)$   
 $Clear(z) \ On(x,y)$

$Clear(x) \ On(x,z)$

PutOnTable(x)

$\sim On(x,z) \ Clear(z) \ On(x, Table)$

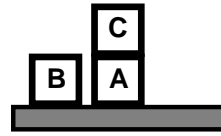
+ several inequality constraints

## 4.3 Example: Blocks world

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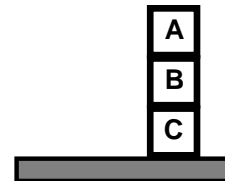
START

$On(C,A)$   $On(A,Table)$   $Cl(B)$   $On(B,Table)$   $Cl(C)$



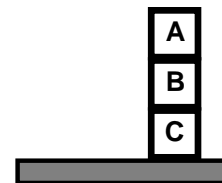
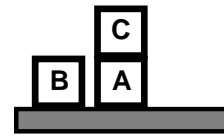
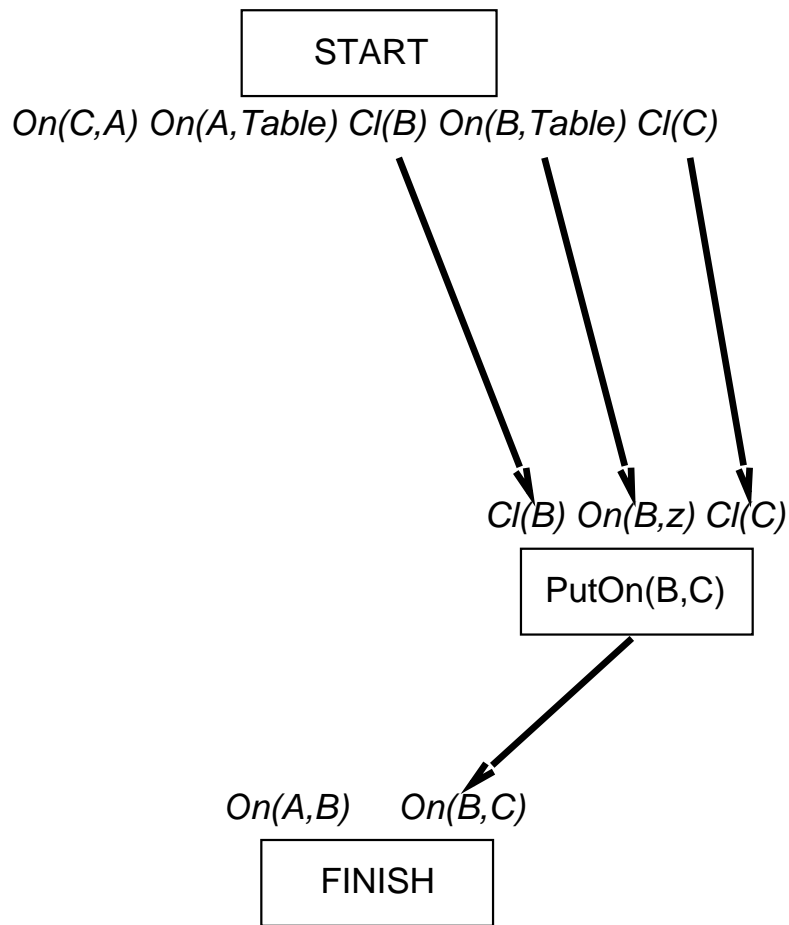
$On(A,B)$   $On(B,C)$

FINISH



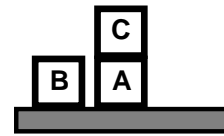
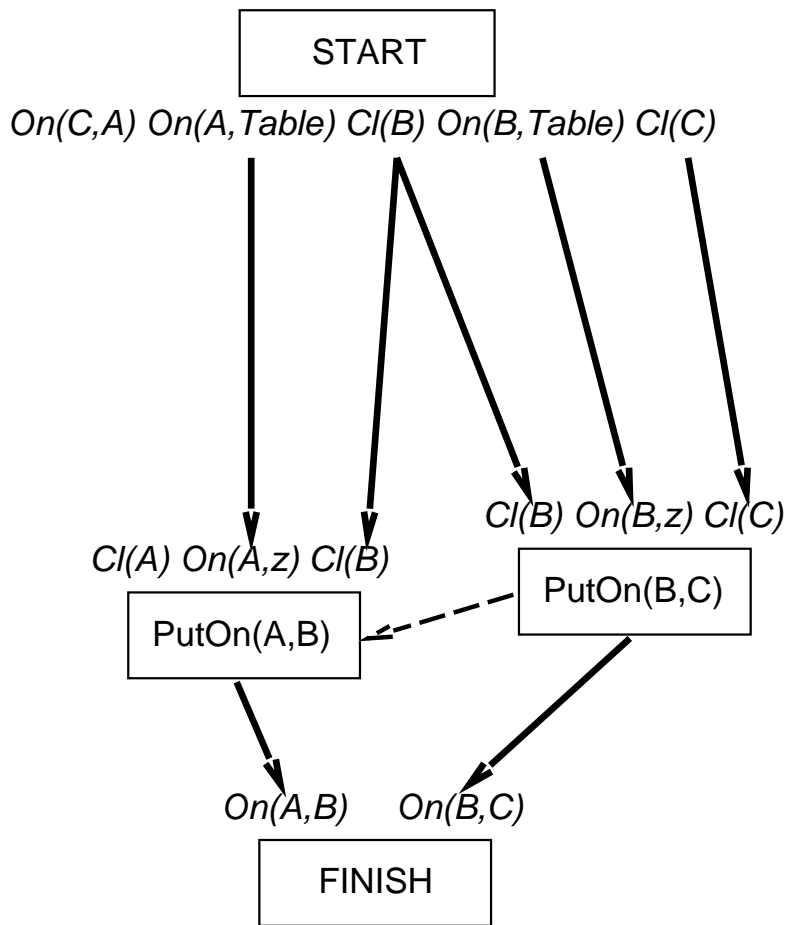
## 4.3 Example: Blocks world

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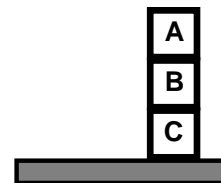




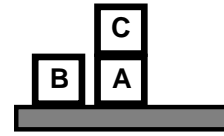
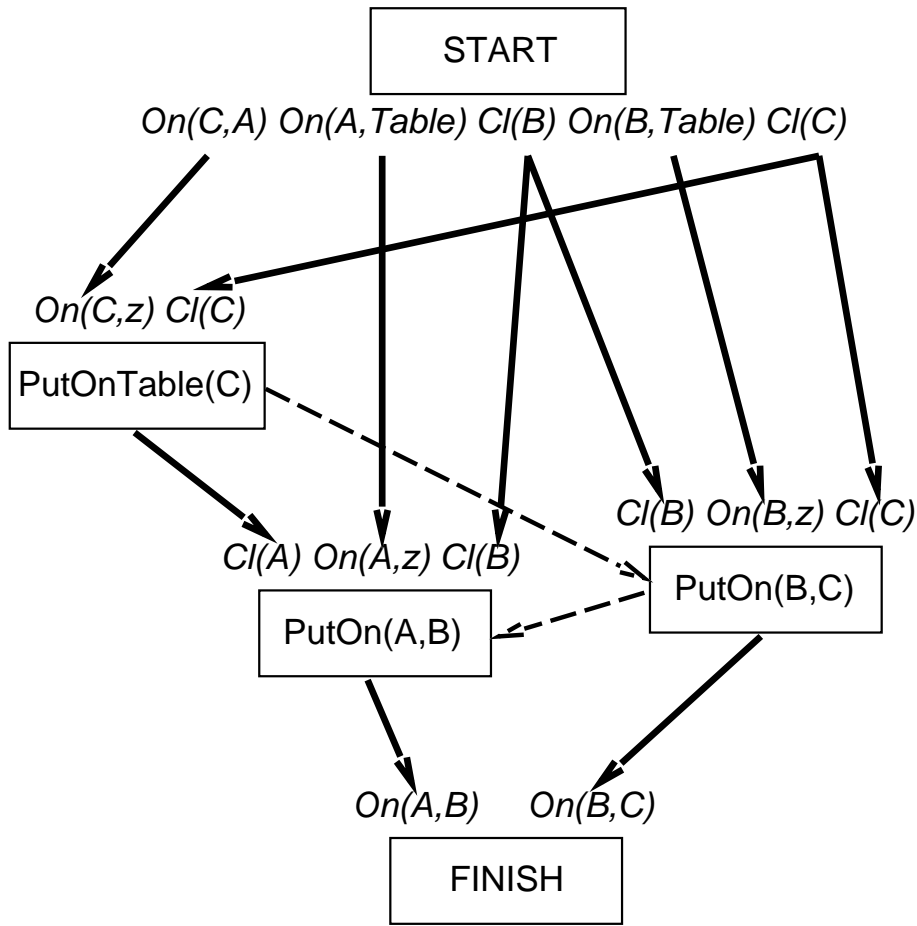
# 4.3 Example: Blocks world



PutOn(A,B)  
 clobbers Cl(B)  
 => order after  
 PutOn(B,C)

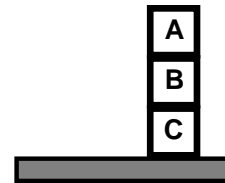


# 4.3 Example: Blocks world



PutOn(A,B)  
clobbers Cl(B)  
=> order after  
PutOn(B,C)

PutOn(B,C)  
clobbers Cl(C)  
=> order after  
PutOnTable(C)



The End